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**Zbl 1172.68045**

**Elkin, Michael; Emek, Yuval; Spielman, Daniel A.; Teng, Shang-Hua**

**Lower-stretch spanning trees.** (English)

SIAM J. Comput. 38, No. 2, 608-628 (2008). ISSN 0097-5397; ISSN 1095-7111

<http://dx.doi.org/10.1137/050641661>

<http://epubs.siam.org/sam-bin/dbq/toclist/SICOMP>

Summary: We show that every weighted connected graph  $G$  contains as a subgraph a spanning tree into which the edges of  $G$  can be embedded with average stretch  $O(\log^2 n \log \log n)$ . Moreover, we show that this tree can be constructed in time  $O(m \log n + n \log^2 n)$  in general, and in time  $O(m \log n)$  if the input graph is unweighted. The main ingredient in our construction is a novel graph decomposition technique. Our new algorithm can be immediately used to improve the running time of the recent solver for symmetric diagonally dominant linear systems of Spielman and Teng from  $m2^{O(\sqrt{\log n \log \log n})}$  to  $m \log^{O(1)} n$ , and to  $O(n \log^2 n \log \log n)$  when the system is planar. Our result can also be used to improve several earlier approximation algorithms that use low-stretch spanning trees.

*Keywords* : low-distortion embeddings; probabilistic tree metrics; low-stretch spanning trees

*Classification* :

\***68R10** Graph theory in connection with computer science

**05C85** Graphical algorithms

**68Q25** Analysis of algorithms and problem complexity

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**Zbl pre05485569**

**Spielman, Daniel A.; Srivastava, Nikhil**

**Graph sparsification by effective resistances.** (English)

STOC'08. Proceedings of the 40th annual ACM symposium on theory of computing 2008, Victoria, Canada, May 17–20, 2008.. 563-568 (2008). ISBN 978-1-60558-047-0

*Classification* :

\***68R10** Graph theory in connection with computer science

**65W05**

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**Zbl pre05485557**

**Daitch, Samuel I.; Spielman, Daniel A.**

**Faster approximate lossy generalized flow via interior point algorithms.** (English)

STOC'08. Proceedings of the 40th annual ACM symposium on theory of computing 2008, Victoria, Canada, May 17–20, 2008.. 451-460 (2008). ISBN 978-1-60558-047-0

*Classification* :

\*68W25 Approximation algorithms

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Zbl 1122.05062

**Spielman, Daniel A.; Teng, Shang-Hua**

**Spectral partitioning works: planar graphs and finite element meshes.** (English)

Linear Algebra Appl. 421, No. 2-3, 284-305 (2007). ISSN 0024-3795

<http://dx.doi.org/10.1016/j.laa.2006.07.020>

<http://www.sciencedirect.com/science/journal/00243795>

<http://www.elsevier.com/locate/issn/0024-3795>

Summary: Spectral partitioning methods use the Fiedler vector – the eigenvector of the second-smallest eigenvalue of the Laplacian matrix – to find a small separator of a graph. These methods are important components of many scientific numerical algorithms and have been demonstrated by experiment to work extremely well. In this paper, we show that spectral partitioning methods work well on bounded-degree planar graphs and finite element meshes – the classes of graphs to which they are usually applied. While naive spectral bisection does not necessarily work, we prove that spectral partitioning techniques can be used to produce separators whose ratio of vertices removed to edges cut is  $O(\sqrt{n})$  for bounded-degree planar graphs and two-dimensional meshes and  $O(n^{1/d})$  for well-shaped  $d$ -dimensional meshes. The heart of our analysis is an upper bound on the second-smallest eigenvalues of the Laplacian matrices of these graphs: we prove a bound of  $O(1/n)$  for bounded-degree planar graphs and  $O(1/n^{2/d})$  for well-shaped  $d$ -dimensional meshes.

*Keywords* : spectral methods; spectral analysis; graph partitioning; eigenvalue problems; graph embedding

*Classification* :

\*05C50 Graphs and matrices

05C10 Topological graph theory

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Zbl 1114.65024

**Spielman, Daniel A.; Teng, Shang-Hua; Üngör, Alper**

**Parallel Delaunay refinement: algorithms and analyses.** (English)

Int. J. Comput. Geom. Appl. 17, No. 1, 1-30 (2007). ISSN 0218-1959

<http://dx.doi.org/10.1142/S0218195907002227>

<http://www.worldscinet.com/ijcga/ijcga.shtml>

Summary: The authors present a parallel Delaunay refinement algorithm for generating well-shaped meshes in both two and three dimensions. Like its sequential counterparts, the parallel algorithm iteratively improves the quality of a mesh by inserting new points, the Steiner points, into the input domain while maintaining the Delaunay triangulation.

The Steiner points are carefully chosen from a set of candidates that includes the circumcenters of poorly-shaped triangular elements. They introduce a notion of independence among possible Steiner points that can be inserted simultaneously during Delaunay refinements and show that such a set of independent points can be constructed efficiently and that the number of parallel iterations is  $O(\log^2 \Delta)$ , where  $\Delta$  is the spread of the input – the ratio of the longest to the shortest pairwise distances among input features. In addition, they show that the parallel insertion of these set of points can be realized by sequential Delaunay refinement algorithms such as by Ruppert’s algorithm in two dimensions and Shewchuk’s algorithm in three dimensions. Therefore, his parallel Delaunay refinement algorithm provides the same shape quality and mesh-size guarantees as these sequential algorithms. For generating quasi-uniform meshes, such as those produced by Chew’s algorithms, the number of parallel iterations is in fact  $O(\log \Delta)$ . To the best of my knowledge and of the authors’, this algorithm is the first provably polylog( $\Delta$ ) time parallel Delaunay-refinement algorithm that generates well-shaped meshes of size within a constant factor of the best possible.

*Keywords* : simplicial meshes; parallel algorithms; computational geometry

*Classification* :

\*65D18 Computer graphics and computational geometry

**Zbl 1179.65033**

**Sankar, Arvind; Spielman, Daniel A.; Teng, Shang-Hua**

**Smoothed analysis of the condition numbers and growth factors of matrices.**

(English)

SIAM J. Matrix Anal. Appl. 28, No. 2, 446-476 (2006). ISSN 0895-4798; ISSN 1095-7162

<http://dx.doi.org/10.1137/S0895479803436202>

<http://epubs.siam.org/sam-bin/dbq/toclist/SIMAX>

Summary: Let  $\bar{A}$  be an arbitrary matrix and let  $A$  be a slight random perturbation of  $\bar{A}$ . We prove that it is unlikely that  $A$  has a large condition number. Using this result, we prove that it is unlikely that  $A$  has large growth factor under Gaussian elimination without pivoting. By combining these results, we show that the smoothed precision necessary to solve  $Ax = b$ , for any  $b$ , using Gaussian elimination without pivoting is logarithmic. Moreover, when  $\bar{A}$  is an all-zero square matrix, our results significantly improve the average-case analysis of Gaussian elimination without pivoting performed by *M.-C. Yeung* and *T. F. C. Chan* [SIAM J. Matrix Anal. Appl. 18, No. 2, 499–517 (1997; Zbl 0871.65019)].”

*Keywords* : smoothed analysis; condition number; Gaussian elimination; growth factor

*Classification* :

\*65F05 Direct methods for linear systems

15A12 Conditioning of matrices

65F35 Matrix norms, etc. (numerical linear algebra)

Zbl 1122.68300

**STOC '06: Proceedings of the 38th annual ACM symposium on theory of computing, Seattle, WA, USA, May 21–23, 2006.** (English)

New York, NY: ACM Press. xiv, 768 p. (2006). ISBN 1-59593-134-1

Contents: Venkatesan Guruswami and Atri Rudra, Explicit capacity-achieving list-decodable codes or decoding up to the singleton bound using folded Reed-Solomon codes (1–10); Alex Samorodnitsky and Luca Trevisan, Gowers uniformity, influence of variables, and PCPs (11–20); Dana Moshkovitz and Ran Raz, Sub-constant error low degree test of almost-linear size (21–30); Nikhil Bansal and Maxim Sviridenko, The Santa Claus problem (31–40); Uriel Feige, On maximizing welfare when utility functions are subadditive (41–50); Jonathan A. Kelner and Daniel A. Spielman, A randomized polynomial-time simplex algorithm for linear programming (51–60); Paul W. Goldberg and Christos H. Papadimitriou, Reducibility among equilibrium problems (61–70); Constantinos Daskalakis, Paul W. Goldberg and Christos H. Papadimitriou, The complexity of computing a Nash equilibrium (71–78); Tim Roughgarden and Mukund Sundararajan, New trade-offs in cost-sharing mechanisms (79–88); Ara Hayrapetyan, Éva Tardos and Tom Wexler, The effect of collusion in congestion games (extended abstract) (89–98).

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Richard Cole and Lee-Ad Gottlieb, Searching dynamic point sets in spaces with bounded doubling dimension (574–583); Dana Angluin, James Aspnes, Jiang Chen and Yinghua Wu, Learning a circuit by injecting values (extended abstract) (584–593); Dmitry Gavinsky, Julia Kempe, Oded Regev and Ronald de Wolf, Bounded-error quantum state identification and exponential separations in communication complexity (594–603); Sean Hallgren, Christopher Moore, Martin Rötteler, Alexander Russell and Pranab Sen, Limitations of quantum coset states for graph isomorphism (604–617); Andris Ambainis, Robert Špalek and Ronald de Wolf, A new quantum lower bound method, with applications to direct product theorems and time-space tradeoffs (618–633) Shengyu Zhang, New upper and lower bounds for randomized and quantum local search (634–643) Shohar Dobzinski, Noam Nisan and Michael Schapira, Truthful randomized mechanisms for combinatorial auctions (644–652) Simon Fischer, Harald Räcke and Berthold Vöcking, Fast convergence to Wardrop equilibria by adaptive sampling methods (653–662) Lisa Fleischer, Jochen Könemann, Stefano Leonardi and Guido Schäfer, Simple cost sharing schemes for multicommodity rent-or-buy and stochastic Steiner tree (663–670); Boaz Barak, Anup Rao, Ronen Shaltiel and Avi Wigderson, 2-source dispersers for sub-polynomial entropy and Ramsey graphs beating the Frankl-Wilson construction (671–680).

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*Classification :*

- \*68-06 Proceedings of conferences (computer science)
- 00B25 Proceedings of conferences of miscellaneous specific interest
- 68M10 Computer networks
- 68W05 Nonnumerical algorithms
- 68R10 Graph theory in connection with computer science

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Zbl 1116.68117

**Spielman, Daniel A.; Teng, Shang-Hua**

**Smoothed analysis of algorithms and heuristics: progress and open questions.** (English)

Pardo, Luis M. (ed.) et al., Foundations of computational mathematics, Santander

2005. Selected papers based on the presentations at the international conference of the Foundations of Computational Mathematics (FoCM), Santander, Spain, June 30 – July 9, 2005. Cambridge: Cambridge University Press. London Mathematical Society Lecture Note Series 331, 274-342 (2006). ISBN 0-521-68161-8/pbk

Summary: We survey some recent progress in the smoothed analysis of algorithms and heuristics in mathematical programming, combinatorial optimization, computational geometry, and scientific computing. Our focus will be more on problems and results rather than on proofs. We discuss several perturbation models used in smoothed analysis for both continuous and discrete inputs. Perhaps more importantly, we present a collection of emerging open questions as food for thought in this field.

*Classification :*

\*68W40 Analysis of algorithms

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**Zbl 1122.68750**

**Spielman, Daniel A.**

**The smoothed analysis of algorithms.** (English)

Liśkiewicz, Maciej (ed.) et al., Fundamentals of computation theory. 15th international symposium, FCT 2005, Lübeck, Germany, August 17–20, 2005. Proceedings. Berlin: Springer. Lecture Notes in Computer Science 3623, 17-18 (2005). ISBN 3-540-28193-2/pbk

<http://dx.doi.org/10.1007/11537311>

Summary: We survey the progress that has been made in the smoothed analysis of algorithms.

*Classification :*

\*68W40 Analysis of algorithms

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**Zbl 1088.68501**

**STOC'05: Proceedings of the 37th annual ACM symposium on theory of computing, Baltimore, MD, USA, May 22–24, 2005.** (English)

New York, NY: Association for Computing Machinery (ACM). xiv, 763 p. (2005). ISBN 1-58113-960-8

Contents: Boaz Barak, Guy Kindler, Ronen Shaltiel, Benny Sudakov and Avi Wigderson, Simulating independence: new constructions of condensers, Ramsey graphs, dispersers, and extractors (1–10); Ran Raz, Extractors with weak random seeds (11–20); Andrej Bogdanov, Pseudorandom generators for low degree polynomials (21–30); Luca Trevisan, On uniform amplification of hardness in NP (31–38); Patrick Briest, Piotr Krysta and Berthold Vöcking, Approximation techniques for utilitarian mechanism design (39–48); Christos H. Papadimitriou, Computing correlated equilibria in multi-player games (49–56) ; Baruch Awerbuch, Yossi Azar and Amir Epstein, The price of routing unsplittable flow (57–66); George Christodoulou and Elias Koutsoupias, The

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The articles of this volume will not be reviewed individually. The preceding conference has been reviewed (see Zbl 1074.68504).

*Classification :*

- \*68-06 Proceedings of conferences (computer science)
- 00B25 Proceedings of conferences of miscellaneous specific interest
- 68R10 Graph theory in connection with computer science
- 68Q05 Models of computation
- 68W05 Nonnumerical algorithms

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Zbl pre05771425

**Elkin, Michael; Emek, Yuval; Spielman, Daniel A.; Teng, Shang-Hua**  
**Lower-stretch spanning trees.** (English)

STOC'05: Proceedings of the 37th annual ACM symposium on theory of computing, Baltimore, MD, USA, May 22–24, 2005. New York, NY: Association for Computing Machinery (ACM). 494–503 (2005). ISBN 1-58113-960-8

<http://dx.doi.org/10.1145/1060590.1060665>

Summary: We show that every weighted connected graph  $G$  with  $n$  vertices and  $m$  edges contains as a subgraph a spanning tree into which the edges of  $G$  can be embedded with average stretch  $O(\log^2 n \log \log n)$ . Moreover, we show that this tree can be constructed in time  $O(m \log^2 n)$  in general, and in time  $O(m \log n)$  if the input graph is unweighted. The main ingredient in our construction is a novel graph decomposition technique. Our new algorithm can be immediately used to improve the running time of the recent solver for symmetric diagonally dominant linear systems of Spielman and Teng from

$$m^{2(O(\sqrt{\log n \log \log n}))} \text{ to } m \log^{O(1)} n,$$

and to  $O(n \log^2 n \log \log n)$  when the system is planar. Our result can also be used to

improve several earlier approximation algorithms that use low-stretch spanning trees.

*Classification :*

\*05C05 Trees

05C85 Graphic algorithms

68Q25 Analysis of algorithms and problem complexity

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Zbl 1096.68778

**Spielman, Daniel A.; Teng, Shang-hua; Üngör, Alper**

**Parallel Delaunay refinement with off-centers.** (English)

Danelutto, Marco (ed.) et al., Euro-Par 2004, parallel processing. 10th international Euro-Par conference, Pisa, Italy, August 31 – September 3, 2004. Proceedings. Berlin: Springer. Lecture Notes in Computer Science 3149, 812-819 (2004). ISBN 3-540-22924-8/pbk

<http://dx.doi.org/10.1007/b99409>

Summary: Off-centers were recently introduced as an alternative type of Steiner points to circum-centers for computing size-optimal quality guaranteed Delaunay triangulations. In this paper, we study the depth of the off-center insertion hierarchy. We prove that Delaunay refinement with off-centers takes only  $O(\log(L/h))$  parallel iterations, where  $L$  is the diameter of the domain, and  $h$  is the smallest edge in the initial triangulation. This is an improvement over the previously best known algorithm that runs in  $O(\log^2(L/h))$  iterations.

*Keywords :* Delaunay refinement; parallel algorithms; triangulations

*Classification :*

\*68W10 Parallel algorithms

68U05 Computational geometry, etc.

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Zbl 1074.68504

**Proceedings of the 36th annual ACM symposium on theory of computing (STOC 2004), Chicago, IL, USA, June 13 - 15, 2004.** (English)

New York, NY: ACM Press. xvii, 643 p. \$ 92.00 (2004). ISBN 1-58113-852-0

<http://portal.acm.org/toc.cfm?id=1007352>

Contents: Eli Ben-Sasson, Oded Goldreich, Prahladh Harsha, Madhu Sudan and Salil Vadhan, Robust PCPs of proximity, shorter PCPs and applications to coding 1–10; Jonas Holmerin and Subhash Khot, A new PCP outer verifier with applications to homogeneous linear equations and max-bisection 11–20; Julia Chuzhoy, Sudipto Guha, Eran Halperi [Eran Halperin], Sanjeev Khanna, Guy Kortsarz and Joseph Naor [Joseph Naor], Asymmetric  $k$ -center is  $\log^* n$ -hard to approximate 21–27; Julia Chuzhoy and Joseph Naor, New hardness results for congestion minimization and machine scheduling 28–34; Susanne Albers and Markus Schmidt, On the performance of greedy algorithms

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Some articles of this volume will be reviewed individually. The preceding conference has been reviewed (see Zbl 1074.68503).

*Classification :*

- \*68-06 Proceedings of conferences (computer science)
- 00B25 Proceedings of conferences of miscellaneous specific interest
- 68Qxx Theory of computing

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Zbl pre05772157

**Spielman, Daniel A.; Teng, Shang-Hua**

**Smoothed analysis of algorithms: why the simplex algorithm usually takes polynomial time.** (English)

J. ACM 51, No. 3, 385-463, electronic only (2004). ISSN 0004-5411

<http://dx.doi.org/10.1145/990308.990310>

[http://portal.acm.org/browse\\_dl.cfm?linked=1part=journalidx=J401coll=ACMdl=ACMCFID=4](http://portal.acm.org/browse_dl.cfm?linked=1part=journalidx=J401coll=ACMdl=ACMCFID=4)

Summary: We introduce the smoothed analysis of algorithms, which continuously interpolates between the worst-case and average-case analyses of algorithms. In smoothed analysis, we measure the maximum over inputs of the expected performance of an algorithm under small random perturbations of that input. We measure this performance in terms of both the input size and the magnitude of the perturbations. We show that the simplex algorithm has smoothed complexity polynomial in the input size and the standard deviation of Gaussian perturbations.

*Classification :*

- \*90C05 Linear programming
- 90C60 Abstract computational complexity for math. programming problems
- 68W40 Analysis of algorithms

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Zbl pre05770686

**Spielman, Daniel A.; Teng, Shang-Hua**

**Nearly-linear time algorithms for graph partitioning, graph sparsification, and solving linear systems.** (English)

Proceedings of the 36th annual ACM symposium on theory of computing (STOC 2004), Chicago, IL, USA, June 13 - 15, 2004. New York, NY: ACM Press. 81-90, electronic only (2004). ISBN 1-58113-852-0

<http://dx.doi.org/10.1145/1007352.1007372>

From the text: “We present a linear-system solver that, given an  $n \times n$  symmetric diagonally-dominant matrix  $A$  with  $m$  non-zero entries and an  $n$ -vector  $b$ , produces a vector  $\tilde{x}$  satisfying  $A\tilde{x} - b < \epsilon$  and  $\tilde{x} - x < \epsilon$ , where  $x$  is the solution to  $Ax = b$ , in time linear in  $m$  and  $\log(\kappa f(A)/\epsilon)$ , where  $\kappa f(A)$  is the condition number of  $A$ . Our

algorithm applies the preconditioned Chebyshev iteration with preconditioners designed using nearly-linear time algorithms for graph sparsification and graph partitioning.

*Classification :*

- \*65F30 Other matrix algorithms
- 15A06 Linear equations (linear algebra)
- 05C85 Graphic algorithms
- 05C70 Factorization, etc.
- 68R10 Graph theory in connection with computer science

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Zbl 1074.68503

**Proceedings of the thirty-fifth annual ACM symposium on theory of computing (STOC 2003), San Diego, CA, USA,.** (English)

New York, NY: ACM Press. xii, 728 p. \$ 104.00 (2003). ISBN 1-58113-674-9

<http://portal.acm.org/toc.cfm?id=780542>

Contents: Joel Friedman, A proof of Alon's second eigenvalue conjecture 720–724; Toshiya Itoh, Yoshinori Takei and Jun Tarui, On the sample size of  $k$ -restricted min-wise independent permutations and other distributions 710–719; Noga Alon and Asaf Shapira, Testing subgraphs in directed graphs 700–709; Martin Dyer, Approximate counting by dynamic programming 693–699; Yehuda Lindell, Bounded-concurrent secure two-party computation without setup assumptions 683–692; T. S. Jayram, Ravi Kumar and D. Sivakumar, Two applications of information complexity 673–682; T. S. Jayram, Subhash Khot, Ravi Kumar and Yuval Rabani, Cell-probe lower bounds for the partial match problem 667–672; Anna Gal and Adi Rosen, Lower bounds on the amount of randomness in private computation 659–666; Mikkel Thorup, Space efficient dynamic stabbing with fast queries 649–658; Haim Kaplan, Eyal Molad and Robert E. Tarjan, Dynamic rectangular intersection with priorities 639–648.

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Some articles of this volume will be reviewed individually. The preceding conference has been reviewed (see Zbl 1074.68502).

*Classification :*

- \*68-06 Proceedings of conferences (computer science)
- 00B25 Proceedings of conferences of miscellaneous specific interest
- 68Qxx Theory of computing

**Zbl 1035.90042**

**Spielman, Daniel A.; Teng, Shang-Hua**

**Smoothed analysis of termination of linear programming algorithms.** (English)

Math. Program. 97, No. 1-2 (B), 375-404 (2003). ISSN 0025-5610; ISSN 1436-4646

<http://dx.doi.org/10.1007/s10107-003-0448-9>

<http://link.springer.de/link/service/journals/10107/>

Summary: We perform a smoothed analysis of a termination phase for linear programming algorithms. By combining this analysis with the smoothed analysis of Renegar's condition number by *J. Dunagan, D. A. Spielman* and *S.-H. Teng* [Smoothed analysis of termination of linear programming algorithms. (<http://arxiv.org/abs/cs.DS/0302011>)] we show that the smoothed complexity of interior-point algorithms for linear programming is  $O(m^3 \log(m/\sigma))$ . In contrast, the best known bound on the worst-case complexity of linear programming is  $O(m^3 L)$ , where  $L$  could be as large as  $m$ . We include an introduction to smoothed analysis and a tutorial on proof techniques that have been useful in smoothed analyses.

*Classification :*

- \*90C05 Linear programming
- 90C51 Interior-point methods
- 68Q25 Analysis of algorithms and problem complexity
- 68W40 Analysis of algorithms

Zbl pre05771042

**Childs, Andrew M.; Cleve, Richard; Deotto, Enrico; Farhi, Edward; Gutmann, Sam; Spielman, Daniel A.**

**Exponential algorithmic speedup by a quantum walk.** (English)

Proceedings of the thirty-fifth annual ACM symposium on theory of computing (STOC 2003), San Diego, CA, USA,. New York, NY: ACM Press. 59-68, electronic only (2003). ISBN 1-58113-674-9

<http://dx.doi.org/10.1145/780542.780552>

Summary: We construct a black box graph traversal problem that can be solved exponentially faster on a quantum computer than on a classical computer. The quantum algorithm is based on a continuous time quantum walk, and thus employs a different technique from previous quantum algorithms based on quantum Fourier transforms. We show how to implement the quantum walk efficiently in our black box setting. We then show how this quantum walk solves our problem by rapidly traversing a graph. Finally, we prove that no classical algorithm can solve the problem in subexponential time.

*Classification :*

- \*81P68 Quantum computation and quantum cryptography
- 68Q05 Models of computation

Zbl pre05695505

**Spielman, Daniel A.; Teng, Shang-Hua**

**Smoothed analysis. Motivation and discrete models.** (English)

Dehne, Frank (ed.) et al., Algorithms and data structures. 8th international workshop, WADS 2003, Ottawa, Ontario, Canada, July 30 – August 1, 2003. Proceedings. Berlin: Springer. Lect. Notes Comput. Sci. 2748, 256-270 (2003). ISBN 3-540-40545-3/pbk

<http://dx.doi.org/10.1007/b11837>

Summary: In smoothed analysis, one measures the complexity of algorithms assuming that their inputs are subject to small amounts of random noise. In an earlier work (Spielman and Teng, 2001), we introduced this analysis to explain the good practical behavior of the simplex algorithm. In this paper, we provide further motivation for the smoothed analysis of algorithms, and develop models of noise suitable for analyzing the behavior of discrete algorithms. We then consider the smoothed complexities of testing some simple graph properties in these models.

*Classification :*

- \*68P10 Searching and sorting
- 68Wxx Algorithms

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Zbl 1056.65148

**Spielman, Daniel A.; Teng, Shang-Hua**

**Smoothed analysis of algorithms.** (English)

Li, Ta Tsien (ed.) et al., Proceedings of the international congress of mathematicians, ICM 2002, Beijing, China, August 20–28, 2002. Vol. I: Plenary lectures and ceremonies. Beijing: Higher Education Press; Singapore: World Scientific/distributor. 597-606 (2002). ISBN 7-04-008690-5/3 vol. set

The authors survey the so-called smoothed analysis, which is their modification of Smale's complexity theory of numerical algorithms.

*Ping-Qi Pan (Nanjing)*

*Keywords:* smoothed (complexity) analysis; condition number; simplex method; interior point method; perceptron method; numerical algorithms

*Classification :*

- \*65Y20 Complexity and performance of numerical algorithms
- 68Q25 Analysis of algorithms and problem complexity
- 90C05 Linear programming
- 90C51 Interior-point methods
- 65K05 Mathematical programming (numerical methods)
- 68Q17 Computational difficulty of problems

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Zbl 1019.94032

**Luby, Michael G.; Mitzenmacher, Michael; Shokrollahi, M.Amin; Spielman, Daniel A.**

**Efficient erasure correcting codes.** (English)

IEEE Trans. Inf. Theory 47, No.2, 569-584 (2001). ISSN 0018-9448

<http://dx.doi.org/10.1109/18.910575>

<http://ieeexplore.ieee.org/xpl/RecentIssue.jsp?puNumber=18>

**Summary:** We introduce a simple erasure recovery algorithm for codes derived from cascades of sparse bipartite graphs and analyze the algorithm by analyzing a corresponding discrete-time random process. As a result, we obtain a simple criterion involving the fractions of nodes of different degrees on both sides of the graph which is necessary and sufficient for the decoding process to finish successfully with high probability. By carefully designing these graphs we can construct for any given rate  $R$  and any given real number  $\varepsilon$  a family of linear codes of rate  $R$  which can be encoded in time proportional to  $\ln(1/\varepsilon)$  times their block length  $n$ . Furthermore, a codeword can be recovered with high probability from a portion of its entries of length  $(1 + \varepsilon)Rn$  or more. The recovery algorithm also runs in time proportional to  $n \ln(1/\varepsilon)$ . Our algorithms have been implemented and work well in practice; various implementation issues are discussed.

*Keywords :* erasure channel; large deviation analysis; low-density parity-check codes; sparse bipartite graphs

*Classification :*

- \*94B60 Other types of codes
- 05C90 Appl. of graph theory
- 94B35 Decoding
- 94A40 Channel models

**Zbl 0999.94042**

**Luby, Michael G.; Mitzenmacher, Michael; Shokrollahi, M.Amin; Spielman, Daniel A.**

**Improved low-density parity-check codes using irregular graphs.** (English)

IEEE Trans. Inf. Theory 47, No.2, 585-598 (2001). ISSN 0018-9448

<http://dx.doi.org/10.1109/18.910576>

<http://ieeexplore.ieee.org/xpl/RecentIssue.jsp?puNumber=18>

**Summary:** We construct new families of error-correcting codes based on Gallager's low-density parity-check codes. We improve on Gallager's results by introducing irregular parity-check matrices and a new rigorous analysis of hard-decision decoding of these codes. We also provide efficient methods for finding good irregular structures for such decoding algorithms. Our rigorous analysis based on martingales, our methodology for constructing good irregular codes, and the demonstration that irregular structure improves performance constitute key points of our contribution.

We also consider irregular codes under belief propagation. We report the results of experiments testing the efficacy of irregular codes on both binary symmetric and Gaussian channels. For example, using belief propagation, for rate 1/4 codes on 16000 bits over a binary symmetric channel, previous low-density parity-check codes can correct up to approximately 16% errors, while our codes correct over 17%. In some cases our results come very close to reported results for turbo codes, suggesting that variations of irregular low-density parity-check codes may be able to match or beat turbo code performance.

*Keywords :* Gallager codes; concentration theorem; low-density parity-check codes; hard-decision decoding; irregular codes; belief propagation

*Classification :*

\*94B60 Other types of codes

94B35 Decoding

94B65 Bounds on codes

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**Zbl 0972.68086**

**Kiwi, M.; Spielman, D.A.; Teng, S.-H.**

**Min-max-boundary domain decomposition.** (English)

Theor. Comput. Sci. 261, No.2, 253-266 (2001). ISSN 0304-3975

[http://dx.doi.org/10.1016/S0304-3975\(00\)00143-2](http://dx.doi.org/10.1016/S0304-3975(00)00143-2)

<http://www.sciencedirect.com/science/journal/03043975>

Summary: Domain decomposition is one of the most effective and popular parallel computing techniques for solving large-scale numerical systems. In the special case when the amount of computation in a subdomain is proportional to the volume of the subdomain, domain decomposition amounts to minimizing the surface area of each subdomain while dividing the volume evenly. Motivated by this fact, we study the following min-max-boundary multi-way partitioning problem. Given a graph  $G$  and an integer  $k > 1$ , we would like to divide  $G$  into  $k$  subgraphs  $G_1, \dots, G_k$  (by removing edges) such that (i)  $|G_i| = \Theta(|G|/k)$  for all  $i \in 1, \dots, k$ ; and (ii) the maximum boundary size of any subgraph (the set of edges connecting it with other subgraphs) is minimized. We provide an algorithm that given  $G$ , a well-shaped mesh in  $d$  dimensions, finds a partition of  $G$  into  $k$  subgraphs  $G_1, \dots, G_k$ , such that for all  $i$ ,  $G_i$  has  $\Theta(|G|/k)$  vertices and the number of edges connecting  $G_i$  with the other subgraphs is  $O((|G|/k)^{1-1/d})$ . Our algorithm can find such a partition in  $O(|G| \log k)$  time. Finally, we extend our results to vertex-weighted and vertex-based graph decomposition. Our results can be used to simultaneously balance the computational and memory loads on a distributed-memory parallel computer without incurring large communication overhead. c.

*Keywords :* surface-to-volume ratio; communication to computation ratio; domain decomposition; multi-way partitioning; parallel processing

*Classification :*

\*68Q10 Modes of computation

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**Zbl 0986.68135**

**Kiwi, Marcos; Lund, Carsten; Spielman, Daniel; Russell, Alexander; Sundaram, Ravi**

**Alternation in interaction.** (English)

Comput. Complexity 9, No.3-4, 202-246 (2000). ISSN 1016-3328; ISSN 1420-8954

<http://dx.doi.org/10.1007/PL00001607>

<http://link.springer.de/link/service/journals/00037/>

Summary: The traditional studies of multi-prover interactive proof systems have con-

centrated on cooperating provers. These are systems in which a verifier interacts with a set of provers who collaborate in their attempt to convince the verifier that a word  $\omega$  is in a prespecified language  $L$ . Results on probabilistically checkable proofs coupled with parallel repetition techniques characterize NP in terms of multi-prover proof systems: languages in NP can be verified through a one-round interaction with two cooperating provers using limited randomness and communication.

Less attention has been paid to the study of competition in this complexity-theoretic setting of interactive proof systems. We consider, for example, one-round proof systems where the first prover is trying to convince the verifier to accept and the second prover is trying to convince the verifier to reject. We build into these proof systems a (crucial) asymmetry between the provers, analogous to quantifier alternation. We show that such proof systems capture, with restrictions on communication and randomness, languages in NP. We generalize this model by defining alternating prover proof systems which we show characterize each level of the polynomial hierarchy. Alternating oracle proof systems are also examined.

The main contribution of this work is the first exact characterization of the polynomial hierarchy in terms of interactive (prover) proof systems.

*Keywords* : cooperating provers; interactive proof systems

*Classification* :

- \*68T15 Theorem proving
- 68Q15 Complexity classes of computation
- 91A10 Noncooperative games

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Zbl 0986.94045

**Spielman, Daniel A.**

**Constructing error-correcting codes from expander graphs.** (English)

Hejhal, Dennis A. (ed.) et al., Emerging applications of number theory. Based on the proceedings of the IMA summer program, Minneapolis, MN, USA, July 15-26, 1996. New York, NY: Springer. IMA Vol. Math. Appl. 109, 591-600 (1999). ISBN 0-387-98824-6/hbk

Author's summary: We survey a derivation of asymptotically good error-correcting codes from expander graphs. These codes, called expander codes, can be decoded in linear time. We explain how to modify this construction to produce asymptotically good codes that can be encoded as well as decoded in linear time.

*Patrick Fitzpatrick (Cork)*

*Keywords* : asymptotically good error correcting codes; expander graphs; decoding; expander codes

*Classification* :

- \*94B60 Other types of codes
- 05C90 Appl. of graph theory
- 05C50 Graphs and matrices
- 94B35 Decoding

**Zbl 0962.68062****Luby, Michael G.; Mitzenmacher, Michael; Shokrollahi, M.Amin; Spielman, Daniel A.; Stemann, Volker****Practical loss-resilient codes.** (English)

STOC '97. Proceedings of the 29th annual ACM symposium on theory of computing, El Paso, TX, USA, May 4-6, 1997. New York, NY: ACM, Association for Computing Machinery, 150-159 (1999).

Summary: We present randomized constructions of linear-time encodable and decodable codes that can transmit over lossy channels at rates extremely close to capacity. The encoding and decoding algorithms for these codes have fast and simple software implementations. Partial implementations of our algorithms are faster by orders of magnitude than the best software implementations of any previous algorithm for this problem. We expect these codes will be extremely useful for applications such as real-time audio and video transmission over the Internet, where lossy channels are common and fast decoding is a requirement. Despite the simplicity of the algorithms, their design and analysis are mathematically intricate. The design requires the careful choice of a random irregular bipartite graph, where the structure of the irregular graph is extremely important. We model the progress of the decoding algorithm by a set of differential equations. The solution to these equations can then be expressed as polynomials in one variable with coefficients determined by the graph structure. Based on these polynomials, we design a graph structure that guarantees successful decoding with high probability.

*Keywords* : encoding algorithms; decoding algorithms*Classification* :

\*68P30 Coding and information theory

68W05 Nonnumerical algorithms

**Zbl 1027.68604****Luby, Michael G.; Mitzenmacher, Michael; Shokrollahi, M.Amin; Spielman, Daniel A.****Analysis of low density codes and improved designs using irregular graphs.**

(English)

STOC '98. Proceedings of the 30th annual ACM symposium on theory of computing, Dallas, TX, USA, May 23-26, 1998. New York, NY: ACM, Association for Computing Machinery. 249-258 (1998). ISBN 0-89791-962-9

In 1963 Gallager introduces a family of codes based on sparse bipartite graphs, which he calls low-density parity-check codes. He suggests a natural decoding algorithm for these codes, and proves a good bound on the fraction of errors that can be corrected. As the codes that Gallager builds are derived from regular graphs, we refer to them as regular codes.

Following the general approach introduced in *M. Luby, M. Mitzenmacher, M. A. Shokrollahi, D. A. Spielman and V. Stemann* [Practical Loss-Resilient Codes, Proc. 29th Symp. on Theory of Computing, 150-159 (1997)] for the design and analysis of erasure codes,

we consider error-correcting codes based on random irregular bipartite graphs, which we call irregular codes. We introduce tools based on linear programming for designing linear time irregular codes with better error-correcting capabilities than possible with regular codes. For example, the decoding algorithm for the rate 1/2 regular codes of Gallager can provably correct up to 5.17% errors asymptotically, whereas we have found irregular codes for which our decoding algorithm can provably correct up to 6.27% errors asymptotically. We include the results of simulations demonstrating the effectiveness of our codes on systems of reasonable size.

*Keywords* : decoding algorithm; regular codes

*Classification* :

\*68P30 Coding and information theory

68R10 Graph theory in connection with computer science

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**Zbl 0935.68026**

**Spielman, Daniel A.**

**Models of computation in coding theory.** (English)

Thirteenth annual IEEE conference on Computational complexity. Proceedings of the conference held in Buffalo, NY, USA, June 15-18, 1998. Los Alamitos, CA: IEEE Computer Society. 120-131 (1998). ISBN 0-8186-8395-3

Summary: We contrast some fundamental assumption of coding theory with those used in complexity theory. In particular, we explain the differences in algorithm used in the software and hardware implementations of Reed-Solomon codes. We also explain how, when studying error-correcting codes, one must consider energy and communication delay to be resources, in addition to the usual space and time.

*Keywords* : coding theory; complexity theory

*Classification* :

\*68Q05 Models of computation

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**Zbl 0909.68075**

**Kiwi, Marcos; Spielman, Daniel A.; Teng, Shang-Hua**

**Min-max-boundary domain decomposition.** (English)

Hsu, Wen-Lian (ed.) et al., Computing and combinatorics. 4th annual international conference, COCOON '98, Taipei, Taiwan, ROC, August 12–14, 1998. Proceedings. Berlin: Springer. Lect. Notes Comput. Sci. 1449, 137-146 (1998). ISBN 3-540-64824-0

Summary: Domain decomposition is one of the most effective and popular parallel computing techniques for solving large scale numerical systems. In the special case when the amount of computation in a subdomain is proportional to the volume of the subdomain, domain decomposition amounts to minimizing the surface area of each subdomain while dividing the volume evenly. Motivated by this fact, we study the following min-max boundary multi-way partitioning problem: Given a graph  $G$  and an integer  $k > 1$ , we would like to divide  $G$  into  $k$  subgraphs  $G_1, \dots, G_k$  (by removing edges) such that (i)  $|G_i| = \Theta(|G|/k)$  for all  $i \in \{1, \dots, k\}$ ; and (ii) the maximum



boundary size of any subgraph (the set of edges connecting it with other subgraphs) is minimized.

We provide an algorithm that given  $G$ , a well-shaped mesh in  $d$  dimensions, finds a partition of  $G$  into  $k$  subgraphs  $G_1, \dots, G_k$ , such that for all  $i$ ,  $G_i$  has  $\Theta(|G|/k)$  vertices and the number of edges connecting  $G_i$  with the other subgraphs is  $O((|G|/k)^{1-1/d})$ . Our algorithm can find such a partition in  $O(|G| \log k)$  time. Finally, we extend our results to vertex-weighted and vertex-based graph decomposition. Our results can be used to simultaneously balance the computational and memory requirement on a distributed-memory parallel computer without sacrificing the communication overhead.

*Keywords* : domain decomposition; large scale numerical systems

*Classification* :

\*68Q10 Modes of computation

**Zbl 0943.94544**

**Spielman, Daniel A.**

**Linear-time encodable and decodable error-correcting codes.** (English)

IEEE Trans. Inf. Theory 42, No.6, Pt. 1, 1723-1731 (1996). ISSN 0018-9448

<http://dx.doi.org/10.1109/18.556668>

<http://ieeexplore.ieee.org/xpl/RecentIssue.jsp?puNumber=18>

Summary: The author presents a new class of asymptotically good, linear error-correcting codes. These codes can be both encoded and decoded in linear time. They can also be encoded by logarithmic-depth circuits of linear size and decoded by logarithmic-depth circuits of size  $O(n \log n)$ . He presents both randomized and explicit constructions of these codes.

*Keywords* : expander graph; superconcentrators; linear error-correcting codes

*Classification* :

\*94B05 General theory of linear codes

94B35 Decoding

**Zbl 0943.94543**

**Sipser, Michael; Spielman, Daniel A.**

**Expander codes.** (English)

IEEE Trans. Inf. Theory 42, No.6, Pt. 1, 1710-1722 (1996). ISSN 0018-9448

<http://dx.doi.org/10.1109/18.556667>

<http://ieeexplore.ieee.org/xpl/RecentIssue.jsp?puNumber=18>

Summary: Using expander graphs, the authors construct a new family of asymptotically good, linear error-correcting codes. These codes have linear time sequential decoding algorithms and logarithmic time parallel decoding algorithms that use a linear number of processors. They present both randomized and explicit constructions of these codes. Experimental results demonstrate the good performance of the randomly chosen codes.

*Keywords* : expander graphs; linear error-correcting codes; linear time sequential decoding algorithms

*Classification* :

\*94B05 General theory of linear codes

94B35 Decoding

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Zbl 0942.00501

**Feigenbaum, Joan (ed.); Forney, G.David jun. (ed.); Marcus, Brian H. (ed.); McEliece, Robert J. (ed.); Vardy, Alexander (ed.)**

**Special issue on codes and complexity.** (English)

IEEE Trans. Inf. Theory 42, No.6, Pt. 1, 1649-2064 (1996). ISSN 0018-9448

<http://ieeexplore.ieee.org/xpl/RecentIssue.jsp?puNumber=18>

Contents: Hans-Andrea Loeliger and Thomas Mittelholzer, Convolutional codes over groups (1660-1686); Aaron B. Kiely, Samuel J. Dolinar, jun., Robert J. McEliece, Laura L. Ekroot and Wei Lin, Trellis decoding complexity of linear block codes (1687-1697); Lance C. Perez, Jan Seghers and Daniel J. Costello, jun., A distance spectrum interpretation of turbo codes (1698-1709); Michael Sipser and Daniel A. Spielman, Expander codes (1710-1722); Daniel A. Spielman, Linear-time encodable and decodable error-correcting codes (1723-1731); Noga Alon and Michael Luby, A linear time erasure-resilient code with nearly optimal recovery (1732-1736); Andres Albanese, Johannes Blomer, Jeff Edmonds, Michael Luby and Madhu Sudan, Priority encoding transmission (1737-1744); Leonard J. Schulman, Coding for interactive communication (1745-1756); Jacques Stern, A new paradigm for public key identification (1757-1768); Gilles Brassard, Claude Crepeau and Miklos Santha, Oblivious transfers and intersecting codes (1769-1780); Mihir Bellare, Don Coppersmith, Johan Hastad, Marcos Kiwi and Madhu Sudan, Linearity testing in characteristic two (1781-1795). Vahid Tarokh and Ian F. Blake, Trellis complexity versus the coding gain of lattices. I (1796-1807); Vahid Tarokh and Ian F. Blake, Trellis complexity versus the coding gain of lattices. II (1808-1816); Yuval Berger and Yair Be'ery, The twisted squaring construction, trellis complexity, and generalized weights of BCH and QR codes (1817-1827); Frank R. Kschischang, The trellis structure of maximal fixed-cost codes (1828-1838); Vijay Vazirani, Huzur Saran and B. Sundar Rajan, An efficient algorithm for constructing minimal trellises for codes over finite abelian groups (1839-1854); Robert J. McEliece and Wei Lin, The trellis complexity of convolutional codes (1855-1864); G. David Forney, Jr., Rolf Johannesson and Zhe-xian Wan, Minimal and canonical rational generator matrices for convolutional codes (1865-1880); Joachim Rosenthal, J. M. Schumacher and Eric V. York, On behaviors and convolutional codes (1881-1891); Fabio Fagnani and Sandro Zampieri, dynamical systems and convolutional codes over finite abelian groups (1892-1912); Jonathan J. Ashley, A linear bound for sliding-block decoder window size. II (1913-1924); Jonathan J. Ashley, Razmik Karabed and Paul H. Siegel, Complexity and sliding-block decodability (1925-1947). Jonathan J. Ashley, Brian H. Marcus and Ron M. Roth, On the decoding delay of encoders for input-constrained channels (1948-1956); Henk D. L. Hollmann, Bounded-delay-encodable, block-decodable codes

for constrained systems (1957-1970); Ilya Dumer, Suboptimal decoding of linear codes: partition technique (1971-1986); Ba-Zhong Shen, Kenneth K. Tzeng and Chun Wang, A bounded-distance decoding algorithm for binary linear block codes achieving the minimum effective error coefficient (1987-1991); G. David Forney, Jr. and Alexander Vardy, Generalized minimum-distance decoding of Euclidean-space codes and lattices (1992-2026); Alexander Vardy and Frank R. Kschischang, Proof of a conjecture of McEliece regarding the expansion index of the minimal trellis (2027-2034); Petra Schuurman, A table of state complexity bounds for binary linear codes (2034-2042); Gavin B. Horn and Frank R. Kschischang, On the intractability of permuting a block code to minimize trellis complexity (2042-2048); Vladimir Sidorenko, Garik Markarian and Bahram Honary, Minimal trellis design for linear codes based on the Shannon product (2048-2053); Gerard D. Cohen, Simon Litsyn and Gilles Zemor, On greedy algorithms in coding theory (2053-2057).

The articles of this volume will be reviewed individually.

*Keywords* : Special issue; Codes; Complexity

*Classification* :

- \*00B25 Proceedings of conferences of miscellaneous specific interest
- 94-06 Proceedings of conferences (information and communication)
- 94Bxx Theory of error-correcting codes

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**Zbl 0915.05104**

**Spielman, Daniel A.**

**Faster isomorphism testing of strongly regular graphs.** (English)

Proceedings of the 28th annual ACM symposium on the theory of computing (STOC). Philadelphia, PA, USA, May 22–24, 1996. New York, NY: ACM, 576-584 (1996).

Summary: We demonstrate that isomorphism of strongly regular graphs may be tested in time  $n^{O(n^{1/3} \log n)}$ . Our approach is to analyze the standard individualization and refinement algorithm in light of Neumaier's claw bound, which implies that low degree strongly regular graphs have a small second-largest eigenvalue, unless they are Steiner or Latin square graphs.

*Keywords* : isomorphism of strongly regular graphs; refinement algorithm; eigenvalue

*Classification* :

- \*05C85 Graphical algorithms
- 05E30 Association schemes, etc.
- 68R10 Graph theory in connection with computer science
- 05C60 Isomorphism problems (graph theory)

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**Zbl 1058.94525**

**Spielman, Daniel A.**

**Linear-time encodable and decodable error-correcting codes.** (English)

Proceedings of the 27th annual ACM symposium on the theory of computing (STOC). Las Vegas, NV, USA, May 29 - June 1, 1995. New York, NY: ACM. 388-397 (1995).

See the journal version in IEEE Trans. Inf. Theory 42, No. 6, Pt. 1, 1723–1731 (1996; Zbl 0943.94544).

*Classification* :

\*94B05 General theory of linear codes

94B35 Decoding

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Zbl 0827.68040

**Beigel, Richard; Reingold, Nick; Spielman, Daniel**

**PP is closed under intersection.** (English)

J. Comput. Syst. Sci. 50, No.2, 191-202 (1995). ISSN 0022-0000

<http://dx.doi.org/10.1006/jcss.1995.1017>

<http://www.sciencedirect.com/science/journal/00220000>

Summary: In this seminal paper on probabilistic Turing machines, Gill asked whether the class PP is closed under intersection and union. We give a positive answer to this question. We also show that PP is closed under a variety of polynomial-time truth-table reductions. Consequences in complexity theory include the definite collapse and (assuming  $P \neq PP$ ) separation of certain query hierarchies over PP. Similar techniques allow us to combine several threshold gates into a single threshold gate. Consequences in the study of circuits include the simulation of circuits with a small number of threshold gates by circuits having only a single threshold gate at the root (perceptrons) and a lower bound on the number of threshold gates that are needed to compute the parity function.

*Keywords* : probabilistic Turing machines

*Classification* :

\*68Q05 Models of computation

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Zbl 0808.68060

**Feigenbaum, Joan; Fortnow, Lance; Lund, Carsten; Spielman, Daniel**

**The power of adaptiveness and additional queries in random-self-reductions.** (English)

Comput. Complexity 4, No.2, 158-174 (1994). ISSN 1016-3328; ISSN 1420-8954

<http://dx.doi.org/10.1007/BF01202287>

<http://link.springer.de/link/service/journals/00037/>

Summary: We study random-self-reductions from a structural complexity-theoretic point of view. Specifically, we look at relationships between adaptive and nonadaptive random-self-reductions. We also look at what happens to random-self-reductions if we restrict the number of queries they are allowed to make. We show the following results: There exists sets that are adaptively random-self-reducible but not nonadaptively random-self-reducible. Under plausible assumptions, there exist such sets in NP.

There exists a function that has a nonadaptive  $(k(n) + 1)$ -random-self-reduction but does not have an adaptive  $k(n)$ -random-self-reduction.

For any countable class of functions  $\mathcal{C}$  and any unbounded function  $k(n)$ , there exists a function that is nonadaptively  $k(n)$ -uniformly-random-self-reducible but is not in  $\mathcal{C}/\text{poly}$ . This should be contrasted with Feigenbaum, Kannan, and Nisan's theorem that all nonadaptively 2-uniformly-random-self-reducible sets are in  $\text{NP}/\text{poly}$ .

*Keywords* : adaptiveness; random-self-reducibility

*Classification* :

\*68Q15 Complexity classes of computation